

GREAT! 90 + no drill set = 90% A-

New 186 / 200 = 93% A avg.

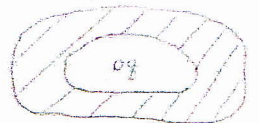
1. (20 points) This problem is the one that I promised you about a conductor that contains a cavity. The conductor's free charges are at rest overall. There is a charge  $q$  (insulated from the conductor) in the cavity. The excess charge on the cavity wall = +9 pC. The cavity wall can also be called the inner surface of the conductor. The excess charge on the outer surface of the conductor is -5 pC.

Your answers must be consistent.

$q_{cw} = 9 \text{ pC}$   $q_{outer} = -5 \text{ pC}$

The net electric flux is zero through all Gaussian surfaces completely in the material of the conductor because  $E = 0$  there. Thus, the insulated charge  $q = -9$  pC and there is 0 pC distributed through the bulk of the material. Therefore, the total excess charge on the conductor is 4 pC.

20



AT THE RIGHT OF THE PAGE, FILL IN THE "o" OF THE BEST ANSWER, FOR EXAMPLE, d.

>>IF YOU DON'T KNOW IT, RULE OUT THE OBVIOUSLY WRONG ANSWERS AND THEN GUESS.<<  
4 points each to a maximum of 70 points

Perfect 70!

2. There are only two charges in a certain region of space. Charge 1 is +3 nC and is outside of a Gaussian surface. Charge 2 is -5 nC and is inside that Gaussian surface. For that Gaussian surface,  $Q_{encl} =$  \_\_\_\_\_ nC.

- a) -5      b) +3      c) -3      d) 5 - 3 = 2      a  b  c  d  2.

3. The symbol  $\oint$  refers to an integral over a(n) \_\_\_\_\_ surface.

- a) circular      b) flat      c) open      d) closed      a  b  c  d  3.

4. Consider a very long straight line of negative charge, that is, with a  $-\lambda$ . The Gaussian surface surrounding it is that of a coaxial cylinder of radius  $r$  and length  $l$ . The side of the cylinder has an area  $2\pi r l$  and its ends each have an area  $\pi r^2$ . The cylinder's volume is  $\pi r^2 l$ . The charge enclosed within this Gaussian surface is \_\_\_\_\_.

- a)  $-\lambda$       b)  $-2\lambda\pi r^2$       c)  $-\lambda 2\pi r l$       d)  $-\lambda\pi r^2 l$       a  b  c  d  4.

5. Continuing Question 4, in the integral over either end of the Gaussian surface,  $E \cos \phi dA$  equals \_\_\_\_\_ because the vectors  $\vec{E}$  and  $d\vec{A}$  are \_\_\_\_\_. (cos 0 = 1, cos 90° = 0, cos 180° = -1)

- a)  $-E dA$ , antiparallel      c)  $E dA$ , parallel      b) zero, perpendicular      d)  $E\pi r^2$ , integrated      a  b  c  d  5.

6. Continuing Question 4,  $\int dA$  over the side of the Gaussian surface equals \_\_\_\_\_

- a)  $\pi r^2$       b)  $2\pi r l$       c)  $\frac{Q_{encl}}{\epsilon_0}$       d)  $\pi r^2 l$       a  b  c  d  6.

7. Which one of these four equations is NOT a version of Gauss's law?

- a)  $\Phi_E = \frac{Q_{encl}}{\epsilon_0}$       c)  $\Phi_E = \oint E \cos \phi dA$       b)  $\oint E_{\perp} dA = \frac{Q_{encl}}{\epsilon_0}$       d)  $\oint \vec{E} \cdot d\vec{A} = \frac{Q_{encl}}{\epsilon_0}$       a  b  c  d  7.

8. A uniform electric field makes an angle of 60° with a flat surface. Thus it makes an angle of 90° - 60° = 30° with the normal to the surface. The area of the surface is 0.004 m². The resulting electric flux through the surface is 800 N·m²/C. Therefore, the magnitude of the electric field is \_\_\_\_\_ N/C.

- a) (800)(0.004)cos 30°      c) (800)(0.004)cos 60°      b)  $\frac{800}{0.004 \cos 60^\circ}$       d)  $\frac{800}{0.004 \cos 30^\circ}$       a  b  c  d  8.

$\frac{\Phi_E}{\cos \theta} = E$

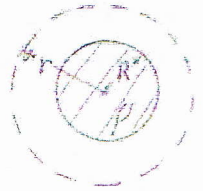
Perfect Page ✓



9. The constant  $\epsilon_0$  equals  $\frac{C^2}{N \cdot m^2}$ .
- a)  $1.602 \times 10^{-19}$     b)  $8.854 \times 10^{-12}$     c)  $8.8 \times 10^{12}$     d)  $9.0 \times 10^9$     ao   b●   co   do   9.

10. A spherical charge distribution has a uniform positive charge density  $\rho$  and a radius  $R$ . We use Gauss's law to find  $E$  outside of this distribution. We use a concentric spherical Gaussian surface of radius  $r$ , where  $r > R$ .

Recall that a sphere of general radius  $a$  has diameter  $2a$ , surface area  $4\pi a^2$ , and volume  $\frac{4}{3}\pi a^3$ .



At all points on the Gaussian surface, the direction of  $\vec{E}$  is

- a) tangent to the surface    c) undetermined  
b) radially inward    d) radially outward    ao   bo   co   d●   10.

11. Continuing Question 10 above: at all points on the Gaussian surface, the direction of  $d\vec{A}$  is

- a) tangent to the surface    c) undetermined  
b) radially inward    d) radially outward    ao   bo   co   d●   11.

12. Continuing Question 10 above:  $\oint E dA = E \oint dA$  over the Gaussian surface because  $E$  is \_\_\_\_\_ by \_\_\_\_\_.

- a) Gauss's, law    c) constant, symmetry  
b) Gaussian, surface    d) electrifying, golly    ao   bo   c●   do   12.

13. Continuing Question 10 above:  $\oint dA$  over the Gaussian surface equals

- a)  $4\pi R^2$     b)  $\frac{4}{3}\pi A^3$     c)  $4\pi r^2$     d)  $2aA$     ao   bo   c●   do   13.

14. Continuing Question 10 above:  $Q_{\text{encl}}$  equals  $\rho$  times

- a)  $\frac{4}{3}\pi r^3$     b)  $4\pi a^2$     c)  $\frac{4}{3}\pi R^3$     d)  $\epsilon_0$     ao   bo   c●   do   14.

15. A charge of 120 nC is uniformly distributed over an insulating curve of length 2.4 m. A Gaussian surface encloses 72 nC of the 120 nC (leaving 48 nC outside the Gaussian surface). For this curve,  $\lambda =$  \_\_\_\_\_ nC/m.

- a)  $\frac{72}{2.4} = 30$     b)  $\frac{120}{2.4} = 50$     c) zero    d)  $\frac{48}{2.4} = 20$     ao   b●   co   do   15.

16. The net electric flux through the Gaussian surface of Problem 15 above is \_\_\_\_\_  $\times 10^{-9}$  C/ $\epsilon_0$ .

- a) 72    b) 120    c) zero    d) 48    a●   bo   co   do   16.

17. In using Gauss's law to find the electric field caused by a highly symmetric negative charge distribution, we must recall that its  $\vec{E}$  is directed \_\_\_\_\_ a negative charge.

- a) away from    b) around    c) toward    d) tangent to    ao   bo   c●   do   17.

18. We find that  $\vec{E}$  and  $d\vec{A}$  are antiparallel (opposite) over part of a Gaussian surface. Therefore, in evaluating  $\int \vec{E} \cdot d\vec{A}$  over that part, we must use

- a)  $\theta = 0$     b)  $\phi = 180^\circ$     c)  $\phi = 90^\circ$     d)  $Q_{\text{encl}} = \epsilon_0$     ao   b●   co   do   18.

19. Suppose that we want to use Gauss's law to find the electric field due to a very large flat surface with a uniformly distributed positive charge. To take advantage of symmetry, the Gaussian surface we should use is a

- a) cylinder with axis perpendicular to the surface    c) concentric sphere  
b) cylinder with axis parallel to the surface    d) regular pyramid    a●   bo   co   do   19.

Perfect Page